Vocal fold and ventricular fold vibration in period-doubling phonation: Physiological description and aerodynamic modeling a)

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Occurrences of period-doubling are found in human phonation, in particular for pathological and some singing phonations such as Sardinian A Tenore Bassu vocal performance. The combined vibration of the vocal folds and the ventricular folds has been observed during the production of such low pitch bass-type sound. The present study aims to characterize the physiological correlates of this acoustical production and to provide a better understanding of the physical interaction between ventricular fold vibration and vocal fold self-sustained oscillation. The vibratory properties of the vocal folds and the ventricular folds during phonation produced by a professional singer are analyzed by means of acoustical and electroglottographic signals and by synchronized glottal images obtained by high-speed cinematography. The periodic variation in glottal cycle duration and the effect of ventricular fold closing on glottal closing time are demonstrated. Using the detected glottal and ventricular areas, the aerodynamic behavior of the laryngeal system is simulated using a simplified physical modeling previously validated in vivo using a larynx replica. An estimate of the ventricular aperture extracted from the in vivo data allows a theoretical prediction of the glottal aperture. The in vivo measurements of the glottal aperture are then compared to the simulated estimations. © 2010 Acoustical Society of America. [DOI: 10.1121/1.3365220]

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I. INTRODUCTION

The ventricular folds, also called false vocal folds or ventricular bands, are two laryngeal structures located above the vocal folds, superior to the laryngeal (or Morgagni) ventricle (see Fig. 1). These laryngeal structures are not commonly involved as a vibrating structure during normal phonation. Their physical properties (high viscosity and low stiffness) are different from those of biomechanical oscillators such as the vocal folds (Haji et al., 1992). Yet, their vibration has been observed during specific vocal gestures: Asian throat singing (Fuks et al., 1998; Lindestad et al., 2001; Sakakibara et al., 2001, 2004), Mediterranean traditional polyphony (Henrich et al., 2006), rock singing (Zangger Borch et al., 2004), pathological phonation (Lindestad et al., 2004; Nasri et al., 1996; Von Doersten et al., 1992). Several vibratory gestures can be distinguished: periodic or aperiodic, in phase or not with the vocal fold vibration, with or without ventricular contact. In this study, we focus on a particular type of ventricular fold vibratory movement, referred to as vocal-ventricular phonation mode by Fuks et al. (1998). In this phonatory gesture, the ventricular fold vibratory movement is periodic, occurring every two glottal cycles, in antiphase with the glottal vibration (Fuks et al., 1998; Lindestad et al., 2001; Sakakibara et al., 2001, 2002, 2004; Henrich et al., 2006). It goes with a period-doubling phenomenon, i.e., a perceived octave jump below the original tone.

The physiological and physical nature of this complex laryngeal vibratory gesture is poorly understood. As both the vocal folds and ventricular folds are vibrating, is there any physical interaction between these two laryngeal structures? If so, what is the nature of this interaction? In light of recent studies, it seems interesting to explore the hypothesis of a possible aerodynamic interaction. Previous experimental investigations dealing with in vitro set-ups have provided an initial insight into the influence of a supra-glottal constriction on the glottal airflow (Shadle et al., 1991; Pelorson et al., 1995; Agarwal, 2004; Kucinschi et al., 2006; Finnegan and Alipour, 2009; Bailly et al., 2008; Bailly, 2009). Using a rigid non-oscillating replica combining vocal folds and ventricular folds, Agarwal (2004) observed an influence of the laryngeal geometry on the trans-laryngeal airflow resistance. An increase in trans-laryngeal airflow resistance has also been evidenced on excised canine larynges by Alipour et al. (2007) and using the same experimental set-up, a median or antero-posterior ventricular compression has resulted in a mean subglottal-pressure increase and an airflow decrease (Finnegan and Alipour, 2009). Experiments made on in vitro static replicas have shown that the presence of a supra-glottal constriction results in a decreased glottal-jet curvature (Shadle et al., 1991; Kucinschi et al., 2006), and a downstream shift of the position of glottal separation point, inducing a conservation of the flow laminar properties over a
longer distance (Kucinski et al., 2006). A significant pressure recovery associated with a reattachment of the jet-flow to the constriction has been observed in Pelorson et al. (1995) and also measured and theoretically predicted in Bailly et al. (2008). The geometry of the constriction affects the phonation threshold pressure and fundamental frequency of a self-oscillating vocal fold replica (Bailly et al., 2008; Bailly, 2009). In complement to these in vitro observations, explorations of throat singing have shown that ventricular fold closure coincides with a decrease in glottal-flow amplitude every two glottal cycles (Fuk et al., 1998; Lindestad et al., 2001). Higher oesophageal pressures have been measured by Fuk et al. (1998) during a switch from modal phonation to vocal-ventricular mode.

This study explores the physiological correlates of vocal-ventricular periodic vibrations, and the aerodynamic impact of ventricular vibration on the vocal fold self-sustained oscillation. The vocal gesture of a professional singer is analyzed by the use of high-speed cinematography combined with acoustic and electroglottographic (EGG) recordings, detailed in Part II (II A and II B). A simplified physical modeling of phonation is presented in Sec. II C, which was previously validated in vitro using a vocal fold/ventricular fold replica. Part III provides a quantitative physiological description of the co-oscillations, deduced from the detection of glottal and ventricular areas, the kymographic processing of the laryngeal images and the analysis of EGG signals (Sec. III A). The glottal aperture and laryngeal pressure distribution are theoretically predicted from the measured ventricular area as a function of the subglottal-pressure (Sec. III B).

II. MATERIAL AND METHOD

In the followings, if $X$ is a function of time $t$, $X_n$ refers to the corresponding normalized quantity, such as: $X_n = X/\max(X)$. Each geometrical variable $X$ introduced in the theoretical description refers to a real quantity measurable at human scale, noted $\tilde{X}$.

A. Data recordings

The experiment was conducted at the University Medical Center Hamburg-Eppendorf in the Department of Voice, Speech and Hearing Disorders. A professional male singer (MW, age 41) was recorded while performing different phonations, among which two particular utterances are selected and compared within the scope of this study: a case of normal phonation, and an example of specific growly phonation, perceptually similar to Asian throat singing. This latter case is characterized by vocal-ventricular periodic vibrations.

High-speed cinematographic recordings of the laryngeal movement were made by inserting a rigid endoscope into the oral cavity (Wolf 90° E 60491) with a continuous light source (Wolf 5131) and a digital black-and-white CCD camera (Richard WOLF, HS-Endocam 5560). The recording sequence duration was approximately 4s, with a camera frame rate of 2000 frames/s and an image resolution of 256 x 256 pixels. Audio signal was recorded simultaneously with a microphone placed at the end of the endoscope (Wolf 5052.801). The electroglottographic signal was recorded simultaneously with a dual-channel electroglostograph [EG2, Rothenberg (1992)]; two electrodes were placed either side of the larynx.

B. Data processing

1. EGG signal processing

Glottal closing instants (GCIs) and glottal opening instants (GOIs) are detected on the time derivative of the EGG signal (DEGG), using a threshold-based peak detection method (Henrich, 2001; Henrich et al., 2004). As illustrated in Fig. 2, the GCI peaks are numbered in order of appearance, a parameter, which completes time and amplitude information for each peak. A distinction is made between the...
two cycles inside a sequence of two glottal cycles. The duration of each glottal cycle (resp. \( t_1 \) and \( t_2 \)) is calculated as the duration between two successive GCIs (resp. odd-even GCIs and even-odd GCIs). Glottal open time (resp. \( t_{op1} \) and \( t_{op2} \)) is measured as the duration between a GOI and the following GCI. Open quotient (\( O_q \)) is calculated as the ratio between glottal open time and cycle duration.

2. High-speed image processing

a. Glottal and ventricular aperture area extraction. Using the MATLAB Image Processing Toolbox, high-speed images are resized to focus on the area of interest. They are smoothed using a bicubic scaling filter (radius 4). Glottal and ventricular contours are manually detected by shaping Bezier curves on each high-speed image, following an algorithm described in Serrurier and Badin (2008) (see Fig. 3). The glottal and ventricular space areas (\( \tilde{A}_{vof} \) and \( \tilde{A}_{venf} \)) are computed from the detected contours by generic surface triangular meshes (Serrurier and Badin, 2008). For each selected time sequence, the detected areas \( \tilde{A}_{vof}(t) \) and \( \tilde{A}_{venf}(t) \) are normalized by their maximum values, and resampled to the sampling frequency of the synchronized EGG and DEGG signals (44 170 Hz) with cubic interpolation. Therefore, the measured parameters are \( \tilde{A}_{vof}(t) \) and \( \tilde{A}_{venf}(t) \).

During the growly phonation, the investigated phonatory gesture includes a narrowing of the supraglottic airway. This laryngeal configuration makes it difficult to detect the effective values of ventricular fold aperture and glottal areas. In such a case, both areas \( \tilde{A}_{vof} \) and \( \tilde{A}_{venf} \) are obviously underestimated. Nevertheless, the aryepiglottic constriction beyond the ventricular folds does not vary much during the sequence. Therefore, we can assume that the method provides a good estimate of the dynamical evolution of the measured areas.

Due to the demanding video-laryngoscopic procedure, magnitudes of recorded vocal and ventricular motions have not been calibrated. As an alternative, we chose to graduate their values with the physiological data available in the literature (Hollien and Colton, 1969; Wilson, 1976; Kitzing and Sonesson, 1967; Hirano et al., 1983; Agarwal et al., 2003; Agarwal, 2004). Assuming that \( \tilde{h}_{vof}(z,t) \) and \( \tilde{h}_{venf}(z,t) \) represent the opening width observed at the constriction between the vocal and the ventricular folds respectively (see Fig. 1), the maximal glottal and ventricular metric magnitudes observed during the phonatory gesture are imposed in accordance with the bibliographical study (\( \tilde{h}_{vof\text{ref}} \) and \( \tilde{h}_{venf\text{ref}} \) and defined as follows:

\[
\tilde{h}_{vof\text{ref}} = \max_{t,z}(\tilde{h}_{vof}(z,t)) = 1 \text{ mm}
\]

\[
\tilde{h}_{venf\text{ref}} = \max_{t,z}(\tilde{h}_{venf}(z,t)) = 2.5 \text{ mm}.
\]

Note that in Eq. (1), the ventricular magnitude \( \tilde{h}_{venf\text{ref}} \) is arbitrarily adjusted smaller than the mean value measured in previous physiological studies during normal phonation [around 5mm in Agarwal et al. (2003) and Agarwal (2004) for instance], in order to account for the initial ventricular constriction observed to switch into the specific studied growly phonation.

The depth of the section along the \( z \) direction, noted \( W \), is assumed identical and \( x \)-invariant across the vocal fold and the ventricular fold constrictions. Similarly, its value is chosen in agreement with physiological studies mentioned above (\( W=15 \text{ mm} \)). Two calibration factors are defined such as:

\[
C_{vof} = \tilde{h}_{vof\text{ref}} \cdot W \quad \text{and} \quad C_{venf} = \tilde{h}_{venf\text{ref}} \cdot W.
\]

Two additional geometrical parameters, the glottal and ventricular mean apertures measured along the \( z \) direction, are deduced from the detected areas \( \tilde{A}_{vof}(t) \) and \( \tilde{A}_{venf}(t) \). These are defined under the approximation of a rectangular mean section area at the glottal and ventricular levels, such as:

\[
\langle \tilde{h}_{vof}\rangle(t) = C_{vof} \cdot \tilde{A}_{vof\text{ref}}(t)/W
\]

\[
\langle \tilde{h}_{venf}\rangle(t) = C_{venf} \cdot \tilde{A}_{venf\text{ref}}(t)/W.
\]

In the end, the conversion of the measured areas \( \tilde{A}_{vof}(t) \) and \( \tilde{A}_{venf}(t) \) from pixels into \( m^2 \) is achieved under the approximation:

\[
\tilde{A}_{vof}(t) = C_{vof} \cdot \tilde{A}_{vof\text{ref}}(t) = \langle \tilde{h}_{vof}\rangle(t) \cdot W
\]

\[
\tilde{A}_{venf}(t) = C_{venf} \cdot \tilde{A}_{venf\text{ref}}(t) = \langle \tilde{h}_{venf}\rangle(t) \cdot W.
\]

Note that the perspective effect occurring within the visual field of the camera yields to the underestimation of the ratio.
the ventricular folds in the larynx on the pressure distribution and the vocal fold self-oscillations is extensively described in Bailly, 2009. A theoretical approximation, these areas are rectangular: \( A_{\text{vof}}=W \times h_{\text{vof}} \) and \( A_{\text{venf}}=W \times h_{\text{venf}} \). \( P_{i}=P_{i}(x_{i},t) \) represents the relative pressure predicted at \( x_{i} \), as compared to the ambient atmospheric pressure.

Three coupled subsystems are considered for modeling the airflow dynamics through the larynx:

- the pressure drop across the glottis: \( \Delta P_{\text{vof}}=P_{0}-P_{1} \);
- the emerging jet evolving in the ventricle, with a dissipation of kinetic energy: \( \Delta P_{\text{jet}}=P_{1}-P_{2} \);
- the pressure drop across the ventricular folds: \( \Delta P_{\text{venf}}=P_{2}-P_{3} \).

All theoretical aspects used in the followings directly refer to this simplified model of phonation, applied under the assumptions of a semi-empirical Liljencrant’s flow separation model, a “turbulent” jet-flow geometrical expansion in the ventricle, dissipation \( \Delta P_{\text{jet}} \) being neglected, and a quasi-steady Bernoulli flow dynamics description [see Bailly et al., 2008 and Bailly, 2009 for more details].

C. Theoretical modeling

First, a simplified theoretical description of the laryngeal airflow dynamics is proposed. Then, corresponding aerodynamic forces are combined with mechanical forces related to a two-mass model of the vocal folds.

1. Flow theory through the larynx

The basic aerodynamic impact implied by the presence of the ventricular folds in the larynx on the pressure distribution and the vocal fold self-oscillations is extensively described in Bailly et al., 2008 and Bailly, 2009. A schematic representation of the laryngeal geometry considered in this investigation is given in Fig. 4 along with all relevant parameters of the aerodynamic study.

The larynx is assumed to be symmetric with respect to the \( x \) and \( z \) axes. In the following, indices \( i \) correspond to specific positions along the \( x \) axis, as indicated in the figure. \( h_{i}=h_{i}(x_{i},t) \) refers to the height of the channel flow at the position \( x_{i} \). The parameters \( h_{\text{vof}} \) (resp. \( h_{\text{venf}}, h_{\text{ventricle}} \)) corresponds to the minimal aperture of the vocal folds (resp. the ventricular folds, the ventricle). Note that in this study, \( h_{\text{vof}} \) always equals \( h_{1} \), whereas \( h_{\text{venf}} \) may differ from \( h_{3} \), for specific geometric laryngeal configurations where the glottal jet-flow does not interact with the ventricular bands and detaches from the ventricular walls (Bailly, 2009). \( A_{\text{vof}} \) (resp. \( A_{\text{venf}} \)) refers to the glottal area (resp. the ventricular area) in the axial plane \( x_{1}=\text{constant} \) (resp. \( x_{3}=\text{constant} \)). In our theoretical approximation, these areas are rectangular: \( A_{\text{vof}}=W \times h_{\text{vof}} \) and \( A_{\text{venf}}=W \times h_{\text{venf}} \).

For all simulations discussed below, we chose a laryngeal configuration consistent with physiological measurements (Hollien and Colton, 1969; Wilson, 1976; Kitzing and Sonesson, 1967; Hirano et al., 1983; Agarwal et al., 2003; Agarwal, 2004):
$$h_0 = 20 \text{ mm}, \quad d_{\text{vof}} = 4 \text{ mm}, \quad h_{\text{ventricle}} = 23 \text{ mm},$$

$$L_{\text{ventricle}} = 4.7 \text{ mm}, \quad d_{\text{ventricle}} = 5.5 \text{ mm}. \quad (5)$$

The following two input values of the ventricular aperture $h_{\text{ventricle}}(t)$ are imposed, depending on the phonation investigated.

- $h_{\text{ventricle}}(t)$ is considered for the study of normal phonation with no implication of the ventricular folds in the phonatory gesture.
- $h_{\text{ventricle}}(t) = (\bar{h}_{\text{ventricle}})(t)$ [see Eq. (3)] is considered in the case of vocal-ventricular periodic vibrations.

The initial glottal aperture $h_{\text{vof}}(t) = \min(h_{\text{vof}}(t = 0), h_{\text{vof}}(t = 0))$ is fixed to 0.2 mm, so that the two-mass model could simulate stable self-sustained glottal oscillations with complete closure of the vocal folds in the absence of ventricular folds [for $h_{\text{vof}}(t) = h_{\text{ventricle}}$].

b. Mechanical model The applied reduced mechanical model is a variation in the symmetrical two-mass model proposed by Lous et al. (1998), and further detailed in Ruty (2007) and Ruty et al. (2007). It is controlled by a set of mechanical parameters: the mass ($m_{\text{vof}}$), spring stiffness ($k_{\text{vof}}, k_{\text{ventricle}}$) and damping ($r_{\text{vof}}$).

In the following, the simulated sequences correspond to four ventricular cycles selected during vocal-ventricular periodic vibrations. The value of $m_{\text{vof}}$ is chosen in agreement with previous studies on voice modeling using a two-mass model of the vocal folds (Miller et al., 1988; Vilain, 2002; Ruty, 2007). The stiffness ($k_{\text{vof}}$) and damping ($r_{\text{vof}}$) input parameters are fitted so that the frequency of two consecutive glottal cycles $1/(t_1 + t_2)$ is identical to the measured one (mean value of 75 Hz) with a relative error below 1%, when the ventricular folds are vibrating. The coupling constant $k_{\text{ventricle}}$ is arbitrarily set equal to 0.5 $k_{\text{vof}}$. The mechanical parameters are thus summarized below:

$$m_{\text{vof}} = 0.05 \text{ g}, \quad k_{\text{vof}} = 42.65 \text{ N m}^{-1},$$

$$r_{\text{vof}} = 10^{-3} \text{ N s}^{-1}. \quad (6)$$

Airflow model. The laryngeal airflow is simulated as previously described, with viscous losses considered in addition along the glottal channel. The pressure $P_0$ upstream of the two-mass model is parametrically controlled as input data. For all simulations presented below, it is set to 900 Pa, within the range of subglottal pressures commonly measured in the trachea.

The pressure at glottal separation $P_{\text{vof}}$, usually set equal to the atmospheric pressure (Vilain, 2002; Ruty, 2007; Ruty et al., 2007), is equal to $P_2$, the pressure estimated in the ventricle, by means of the fluid-flow theory before-mentioned. Thus, the simulated laryngeal flow accounts for the pressure recovery owed to the ventricular folds.

The temperature is fixed at 37.2°C and the atmospheric pressure is set to 101.1 kPa. Under such thermodynamic conditions,
ventricular contact occurs all along the ventricular fold length in the z direction, so that $\tilde{A}_{\text{ven}}(t)=0$ at the end of their closing phase.

A periodic alteration of both the EGG and DEGG signals is observed during vocal-ventricular periodic vibrations (see Figs. 6 and 7), illustrating a period-doubling pattern, in agreement with previous observations (Fuks et al., 1998; Linestad et al., 2001; Sakakibara et al., 2001, 2002, 2004; Henrich et al., 2006). What does this alteration reflect? Selected instants in Figs. 6 and 7 provide further insights into this matter.

- Each time a DEGG positive peak of highest amplitude occurs [see instant A in Fig. 6, instants (a) and (e) in Fig. 7], the ventricular folds are coming closer to each other but not touching, while the vocal folds are closing. In this case, the amplitude variations on EGG and DEGG signals are due to glottal motions only.
- Each time a DEGG positive peak of smallest amplitude occurs [see instant E in Fig. 6 and instant (c) in Fig. 7], the ventricular folds are already in contact. Data on vocal fold behavior is thus not available. Yet, the observed sudden DEGG amplitude peak is not correlated with any sudden changes in ventricular motion; in fact, the closing of the ventricular folds precedes this instant and is not reflected by a DEGG amplitude peak, although concurrent to a modification of the EGG signal. Therefore, this suggests that the DEGG smallest amplitude peak corresponds only to the closure of the vocal folds. These observations support the thesis that though the EGG may combine information about ventricular and glottal contact areas, the DEGG positive peaks exclusively reflect glottal closing states. Consequently, times $t_1$ and $t_2$ (see Fig. 7) define two consecutive glottal cycle durations.
- When a DEGG negative peak arises [see instants B and F in Fig. 6, instants (b) and (d) in Fig. 7], the ventricular folds are already apart from each other, whereas the vocal folds are starting their opening phase. Thus, the DEGG negative peaks occur at GOI, in the same way as during normal phonation. Consequently, times $t_{op1}$ and $t_{op2}$ (see Fig. 7) define two consecutive glottal open phase durations.

### b. Correlation between ventricular and glottal motions

The ventricular fold contact follows the glottal opening [time B in Fig. 6 and (b) in Fig. 7]. The ventricular contact starts during the glottal open phase [time B to E in Fig. 6, time (b) to (c) in Fig. 7]. It stops during the closing phase of the following glottal cycle [time E to F in Fig. 6, time (c) to (d) in Fig. 7]. The ventricular opening is initiated at the time of glottal closure. These observations do not depend on the specific kymographic line considered.
2. Description of vocal fold vibration

In this part, the impact of the behavior of the ventricular fold on the glottal motion during vocal-ventricular periodic vibrations is quantified.

a. Ventricular impact on glottal speed of contact area. Figure 8 displays the amplitude of the DEGG glottal closing peaks detected on the growl sequence as a function of time. The peaks are numbered in order of appearance: the crosses correspond to even numbers, and the dots to odd numbers (see Fig. 2). Once the period-doubling phenomenon is established, a constant alteration of the amplitude between two consecutive peaks is periodically observed.

As illustrated in Figs. 6 and 7, the peaks of lower amplitude on the DEGG signal (even numbers) occur during a ventricular contact whereas the DEGG peaks of higher amplitude occur at a moment when the ventricular folds have moved apart. As the amplitude of the DEGG signal reflects the speed of vocal fold contact area, the observed periodic alteration of the glottal cycle suggests that the vocal fold speed of contact is noticeably reduced under the influence of the downstream ventricular fold contact.

Note that at the very beginning of the sequence ($t < 0.5$ s), the singer did not succeed in producing the investigated growl but performed a creaky-like sound instead. In this case, the variations of the DEGG signal do not lead to any obvious period-doubling pattern.

b. Ventricular impact on the glottal cycle frequencies. Not only is the speed of glottal contact modified by the downstream ventricular vibration, but also the duration of glottal cycle. Figure 9 presents the evolution of glottal cycle frequencies as a function of time. A distinction is made between the glottal cycles, depending on whether the ventricular folds close during the cycle ($f_1 = 1/t_1$) or open ($f_2 = 1/t_2$). The frequency $2/(t_1 + t_2)$ represents twice the frequency of two consecutive glottal cycles. It corresponds to the glottal fundamental frequency, which would have been observed if the ventricular folds were not vibrating. It also corresponds to an octave above the perceived pitch ($2f_0$, $f_0 = 1/t_0$ being the acoustical fundamental frequency). In normal phonation, $f_1 = f_2 = f_0$.

During the creaky voice performed at the beginning of the sequence ($t < 0.5$ s), the fundamental frequency $f_0$ is measured at 155 Hz (D#3) on average. Once the periodic vocal-ventricular vibrations have established, it decreases from 80 Hz (D#2) to 65 Hz (C2) (mean value 72 Hz). During vocal-ventricular periodic vibrations, two following glottal cycles do not have the same duration ($t_1 \neq t_2$): a glottal cycle with ventricular folds in closing phase is longer than a glottal cycle with a ventricular aperture ($t_1 > t_2$), implying a lower glottal cycle frequency ($f_1 < f_2$). $f_1$ goes from 149 Hz to 121 Hz with a mean value of 133 Hz (C3); $f_2$ goes from 186 Hz to 133 Hz with a mean value of 158 Hz (D#3). The maximal difference between two consecutive glottal cycle frequencies rises to 51 Hz and fluctuates around a mean value of 25 Hz in that case. It is interesting to note that the frequencies $f_0$, $f_1$, and $f_2$ are superimposed at the beginning of the musical sentence, which does not exhibit any period-doubling pattern.

Alteration of the glottal cycle duration during vocal-ventricular periodic vibrations is confirmed in Fig. 10, which shows the variation in glottal opening durations ($t_{op1}$ and $t_{op2}$) for two successive glottal cycles. It demonstrates that $t_{op1}$ is consistently longer that $t_{op2}$ during growl; both durations also vary according to fundamental period $t_0$ fluctuations. In the studied period-doubling sequence, this lengthening may reach a maximal delay of 2.6 ms (average value 1.5 ms). The duration relative to fundamental period, i.e., the open quotient $O_p$, is also much higher in the case of ventricular fold closing than in case of ventricular fold opening (relative gap of 11% in average, 23% at maximum). These features are not observed during normal phonation, nor during the creaky sound produced at the start of the sentence.
sure recovery is predicted in such a case with a single fundamental frequency.

Two-mass model of the vocal folds oscillates periodically = opening duration.

vibration, which could explain the lengthening of the glottal interaction between the glottal-flow and the ventricular fold downstream of the glottis, thus reducing the pressure drop data are displayed in thin solid (resp. thick dotted) line.

What could explain these variations in glottal opening durations? The ventricular folds are closing during phase 1, whereas they are opening and remain completely open during phase 2, as displayed in Fig. 6. This suggests that the duration of the glottal cycle could be extended with a ventricular contact. In Bailey et al. (2008), it is shown that a decreasing ratio \( h_{\text{vent}}/h_{\text{vof}} \) can imply a pressure recovery downstream of the glottis, thus reducing the pressure drop and consequently the Bernoulli effect involved in the vocal fold adduction. In light of these previous results, we propose to further explore the hypothesis of a possible aerodynamic interaction between the glottal-flow and the ventricular fold vibration, which could explain the lengthening of the glottal opening duration.

B. Theoretical prediction of the vocal-ventricular interaction

In this part, the aerodynamic influence of the ventricular fold motion (measured during period-doubling phonation) on the vocal fold self-sustained oscillations is predicted. Figures 11 and 12 present numerical simulations of the glottal behavior obtained using a two-mass model and accounting for the aerodynamic interaction between the vocal folds and the ventricular folds, as described in Sec. II C.

1. Configuration of reference with an input static ventricular geometry

Glottal behavior during normal phonation is simulated considering a standard geometry in the input parameters of the two-mass model, characterized by a static ventricular fold aperture such as \( h_{\text{vent}}(t) = h_{\text{ventricle}} \).

Figure 11 illustrates this latter configuration. No pressure recovery is predicted in such a case \( P_2(t) = 0 \) and the two-mass model of the vocal folds oscillates periodically with a single fundamental frequency \( 1/t_{\text{ref}} \) (mean value 173 Hz).

2. Simulation of a period-doubling phenomenon at the glottis

This part presents the glottal behavior and the translaryngeal pressure predicted during vocal-ventricular periodic vibrations, in contrast to the situation shown in Fig. 11.

In this case, the input value of the ventricular aperture \( h_{\text{vent}}(t) \) is estimated in agreement with the measurements recorded from explorations of this type of period-doubling phonation in humans, detailed in Sec. II B. Thus, the parameter \( h_{\text{vent}}(t) \) follows the variations of the area \( A_{\text{vent}} \) detected on the high-speed images and plotted in Fig. 7, and is approximated by \( \langle h_{\text{vent}} \rangle(t) \). If coupled to Eqs. (2) and (3), this approximation yields to:

\[
h_{\text{vent}}(t) = \bar{h}_{\text{vent}} \cdot \bar{A}_{\text{vent}}(t). \tag{8}
\]

Finally, the input ventricular aperture \( h_{\text{vent}}(t) \) estimated by Eq. (8) has been dephased in concordance with the chosen initial glottal aperture \( h_{\text{vent}}(t=0) = 0.2 \) mm. Figure 12 presents the predicted glottal aperture \( \min(h_{\text{vof1}}, h_{\text{vof2}}) \) and pressure \( P_2(t) \), with the ventricular motion \( h_{\text{vent}} \) measured on high-speed images as an input parameter.

Similarly to Eq. (8), the glottal aperture extracted from the measurements is deduced from the equation below and compared to the simulated M2M oscillations (see Fig. 12):

\[
\langle h_{\text{vof}} \rangle(t) = \bar{h}_{\text{vof}} \cdot \bar{A}_{\text{vof}}(t). \tag{9}
\]

Under such conditions, the following three main features can be deduced from the two-mass simulations.

- A large pressure recovery \( P_2 \) is predicted, in contrast to the normal phonation simulation (see bottom panels in Figs. 11 and 12). It even reaches the driving pressure \( P_0 \) each time the ventricular folds are in contact. Therefore, the pressure drop across the vocal folds, \( \Delta P_{\text{vof}} \) is affected and the vocal fold self-oscillation is altered.
- An alteration of the glottal aperture amplitude between two consecutive vocal fold oscillations is theoretically pre-

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FIG. 11. (Color online) Two-mass simulations of \( \min(h_{\text{vof1}}, h_{\text{vof2}}) \) and \( P_2(t) \) as a function of time. Configuration of reference with \( h_{\text{vent}} = h_{\text{ventricle}} \), \( P_0 = 900 \) Pa. \( 1/t_{\text{ref}} = 173 \) Hz (mean value). Input (resp. output) data are displayed in thin solid (resp. thick dotted) line.

FIG. 12. (Color online) Two-mass simulations of \( \min(h_{\text{vof1}}, h_{\text{vof2}}) \) and \( P_2(t) \) as a function of time. \( h_{\text{vent}}(t) = \bar{h}_{\text{vent}}(t) \), \( P_0 = 900 \) Pa. \( 1/t_{\text{ref}} = 74 \) Hz (mean value). Input (resp. output) data are displayed in thin solid (resp. thick dotted) line.
The simulation predicts a difference of duration between consecutive glottal cycles. If calculated from a simulated GCI peak of highest amplitude, while it varies from 39 Hz to 42 Hz according to the DEGG measurements (mean value 41 Hz).

These results suggest that the aerodynamic interaction between the vocal folds and the ventricular folds does alter the glottal vibrations in terms of frequency and amplitude in the simulations, which may play an important role in the period-doubling phenomenon. Yet, it is shown in Fig. 13 that an inconsistent phase shift remains between the simulated glottal motions and the measured DEGG signal, and the cycle duration lengthened by the ventricular closure, as observed in phonation (see Fig. 9), is not reproduced under such modeling assumptions.

**IV. CONCLUSION**

In this study, the laryngeal dynamics of a specific growly phonation produced by a professional singer using period-doubling as a musical performance is explored. This phonation is perceptually similar to Mongolian Kargyraa, Tibetan voice or Sardinian Bassu singing and involves the vibrations of the ventricular folds. *In vivo* investigation of this phonation has been carried out using acoustic and electrolaryngographic measurements, together with high-speed cinematography. A quantification of the laryngeal dynamics is proposed, extracting glottal and ventricular areas from the high-speed images. These data are used as input parameters to a simplified model of phonation accounting for the aerodynamic interaction between the vocal and ventricular folds.

The conclusions that can be drawn from this study are as follows.

- It is observed that, although the EGG signal may combine information about ventricular and glottal contact areas during this specific phonation, the DEGG signal exclusively reflects glottal vibratory behavior.
- A correlation between the vocal fold vibration and the ventricular fold motion is demonstrated.
- As shown in high-speed images, the ventricular folds are moving closer each glottal cycle, out of phase with glottal closing. A contact between the ventricular folds is observed every two glottal cycles. The perceived low pitch corresponds therefore to the fundamental period of the ventricular vibration. The ventricular fold contact starts during the glottal open phase and stops during the closing phase of the following glottal cycle. The ventricular opening corresponds to a glottal closure.
- From the processed *in vivo* data, it is shown that the ventricular fold closing affects vocal fold movements. Two consecutive glottal cycles do not have the same duration and the duration of the glottal cycle is extended with a ventricular contact. In particular, glottal opening duration is increased when the ventricular folds are closed.
- From the theoretical simulations, it is shown that the alteration of the vocal fold vibration amplitude between two consecutive glottal cycles can be explained by the aerodynamic impact of the ventricular folds. Thus, the simulation exhibits a period-doubling phenomenon at the glottis. In other words, extraction of the ventricular behavior observed during vocal-ventricular periodic vibrations, if com-

![Fig. 13. (Color online) Comparison between the normalized DEGG signal DEGG (top), the opposite of the time derivative signal of the glottal aperture simulated by the M2M model \( d \min(h_{vof1}(t),h_{vof2}(t))/dt \) for \( h_{vof}(t) = h_{ventr} \) (middle), and for \( h_{vof}(t) = \bar{h}_{ventr}(t) \) (bottom). \( P_0 = 900 \) Pa.](image)
bined to a simplified aerodynamic modeling of the vocal-ventricular interaction, suffices to predict the period-doubling phenomenon characteristic of this specific phonation.

• Finally, this work provides quantified in vivo information on vocal fold and ventricular fold interaction recorded during period-doubling phonation on a professional singer, which is of much help for investigating the physical impact of the ventricular folds on the glottal oscillations. Therefore, further study is ongoing to characterize these physiological correlates on a greater number of subjects, and to overcome the main limitations of this study. In particular:

• A better understanding of the delay between the measurements and the predictions of the glottal behavior may be also provided if including an accurate and validated description of the impact stresses occurring during vocal folds collision in the modeling.

• A driven model of the ventricular band variation has been chosen as a first step to determine their aerodynamic impact on the transaryngeal pressure distribution and the glottal vibrations. Yet, exploration of the ventricular motion physical origins will need further modeling, such as a theoretical description of the glottal vibrations mechanical transmission along the laryngeal mucosa.

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